
ATLAS: Precision Reach for Masses and Couplings

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On behalf of the ATLAS Collaboration



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Synopsis

- LHC Physics Environment
- ATLAS Design and Performance

Precision Physics

- **W mass measurement**
- **Triple Gauge Couplings**
- **Top Quark Mass**

- Summary

Introduction: ATLAS at the LHC

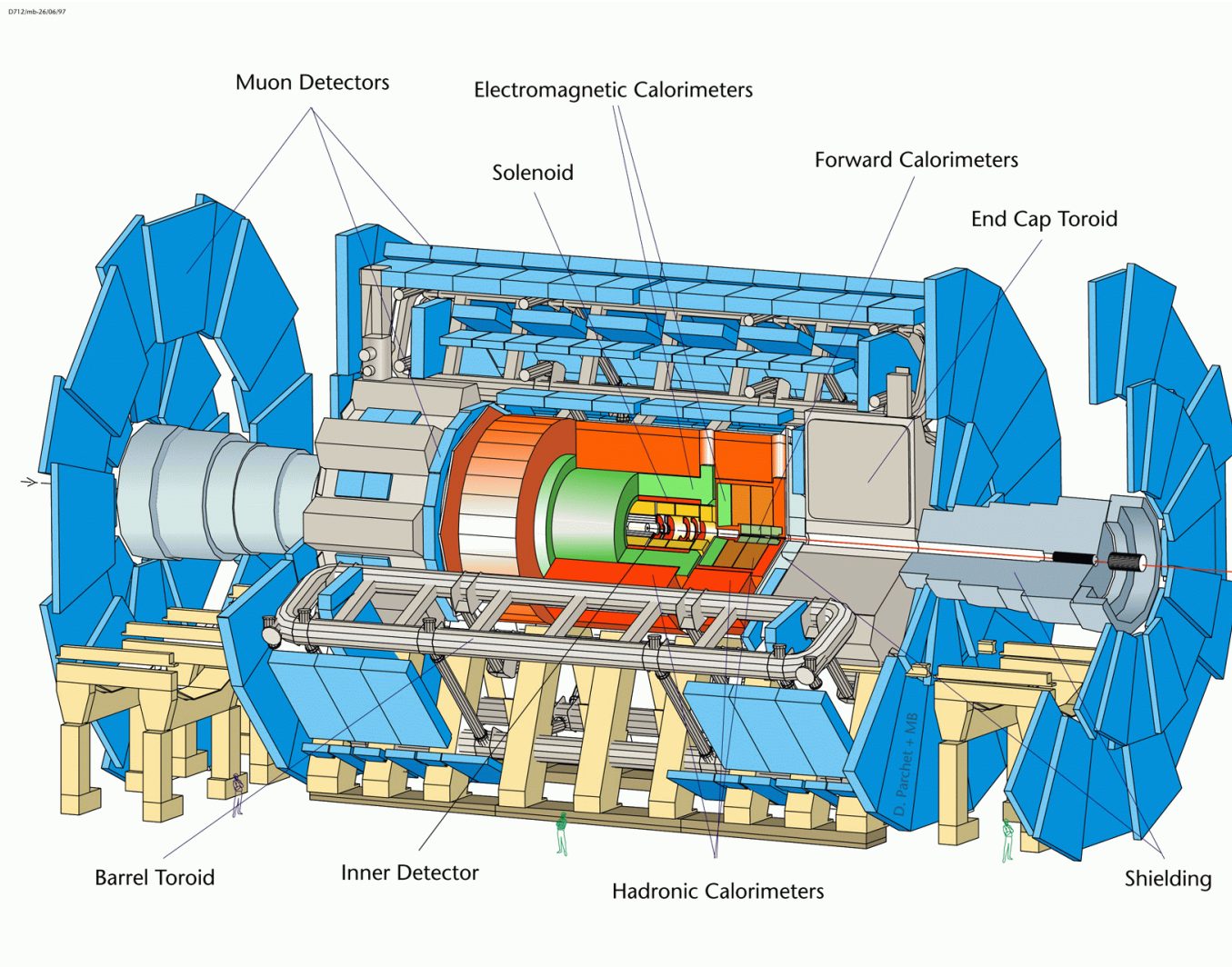
The LHC: More than a discovery machine...

- proton-proton at $\sqrt{s} = 14 \text{ TeV}$
- $10^{33} \text{ cm}^{-2} \text{ s}^{-1}$ luminosity during first three years
 $\Rightarrow 10 \text{ fb}^{-1}$ integrated luminosity per year
- $10^{34} \text{ cm}^{-2} \text{ s}^{-1}$ design luminosity
 $\Rightarrow 100 \text{ fb}^{-1}$ per year

Process	Rate [Hz]	Events/Year	Events (total)
$Z \rightarrow e^+e^-$	1.5	$\sim 10^7$	$\sim 10^7$ LEP
$W \rightarrow e\nu$	15	$\sim 10^8$	$\sim 10^4$ LEP
t anti-t	800	$\sim 10^7$	10^4 Tevatron

At low luminosity

ATLAS: Design and Performance



Magnetic Field

2T solenoid plus air core toroid

Inner Detector

$\sigma/p_T \sim 0.05\% p_T(\text{GeV}) (+) 0.1\%$
Tracking in range $|\eta| < 2.5$

EM Calorimetry

$\sigma/E \sim 10\% / \sqrt{E(\text{GeV})} (+) 1\%$
Fine granularity up to $|\eta| < 2.5$

Hadronic Calorimetry

$\sigma/E \sim 50\% / \sqrt{E(\text{GeV})} (+) 3\%$

Muon Spectrometer

$\sigma/p_T \sim 2-7\%$
Covers $|\eta| < 2.7$

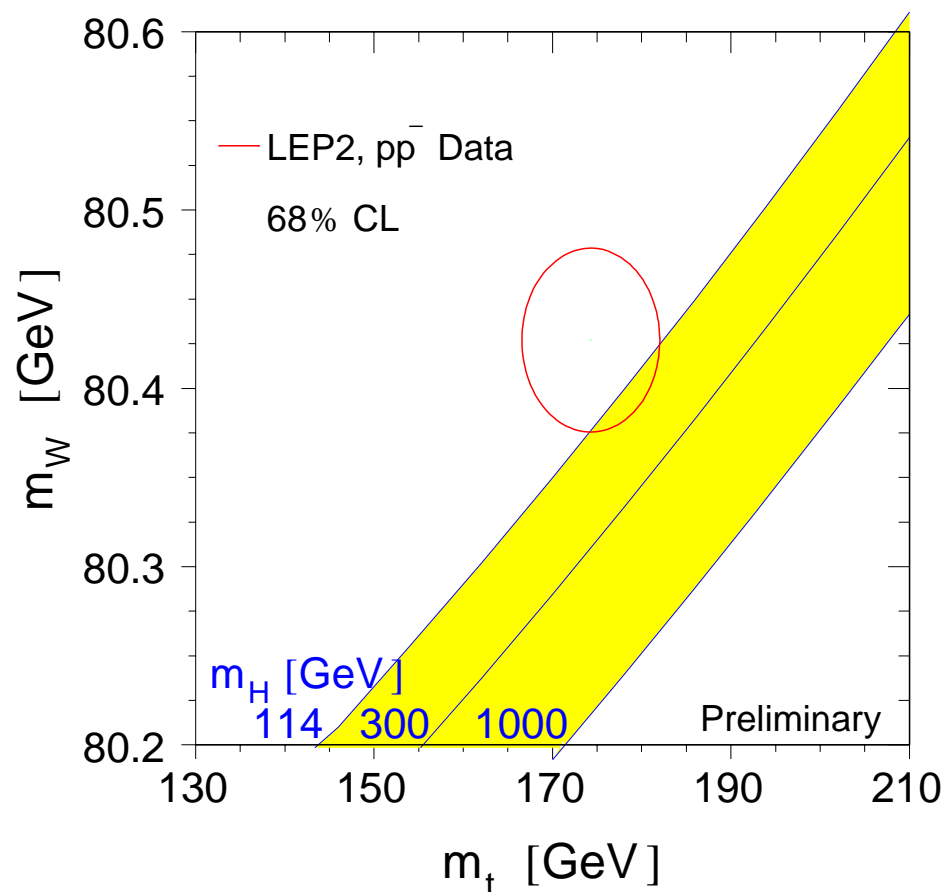
Precision physics in $|\eta| < 2.5$

W Mass: Phenomenology

- W mass currently known to about **30MeV** from LEP2 and Tevatron
 \Rightarrow Precision can be improved using the large rate at the LHC

Motivation for improved precision:

- Fundamental parameter of the SM
 - Measuring the W and top mass will provide a consistency check on the Higgs mass
- \Rightarrow Since top mass will be measured to $\sim 2\text{GeV}$ (see later), aim to achieve a precision on the W mass, m_W , of **$\sim 15\text{MeV}$**



W Mass: Measurement

Select: $pp \rightarrow W+X$ with $W \rightarrow lv$ and $l = e, \mu$

- isolated charged lepton with $p_T > 25$ GeV inside $|\eta| < 2.4$
- missing transverse energy $E_T^{\text{miss}} > 25$ GeV
- rejection of large p_T W's

and plot the transverse mass, m_T , given by

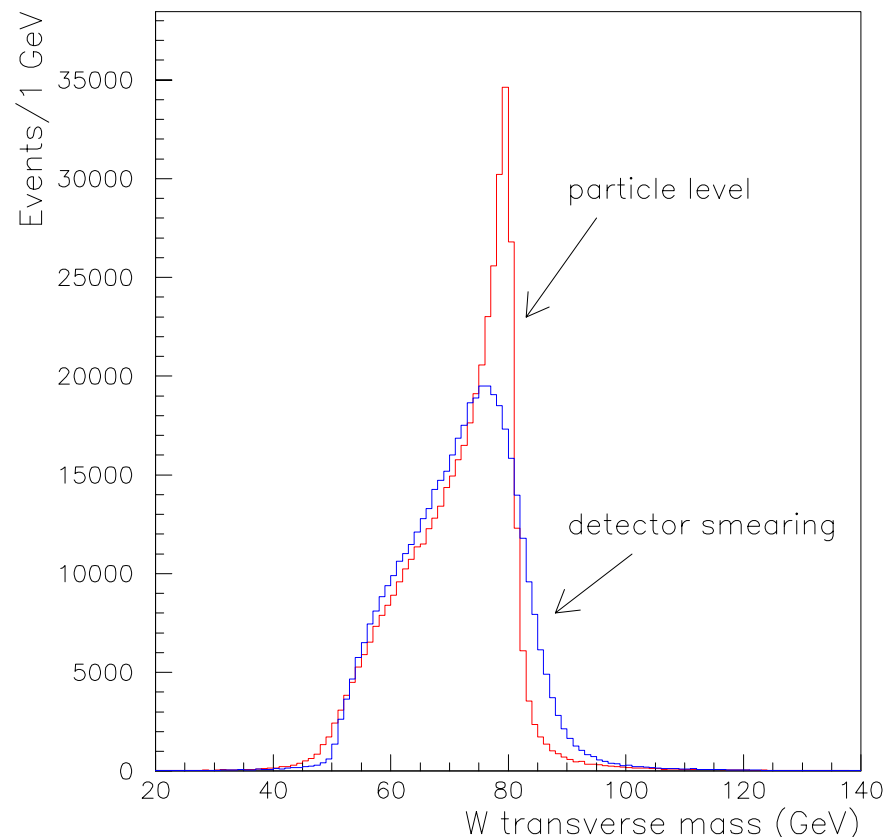
$$M_T^W = \sqrt{2 p_T^l p_T^v (1 - \cos \Delta\phi)}$$

where $\Delta\phi$ is the azimuthal angle between the l and the recoil X

⇒ Position of falling edge of Jacobian peak sensitive to m_W

- sensitivity is reduced by detector smearing

* LHC cross section is 30nb: after selection acceptance, reconstruction and identification expect 60M Ws per low luminosity year ⇒ precision on m_W is systematics limited...



W Mass: Precision

Source	Assumptions	Δm_W (per channel)
Statistics	60M Ws/year	<2 MeV
W width		7 MeV
Parton distribution functions		<10 MeV
Recoil modelling		5 MeV
Radiative decays		<10 MeV
p_T^W spectrum		5 MeV
Backgrounds	Known to 30(7)% for e(μ)	5 MeV
Lepton identification		5 MeV
Lepton $E-p$ scale	Known to 0.02%	<15 MeV
Lepton $E-p$ resolution	Known to 1.5%	5 MeV
Total		<25 MeV

Total uncertainty on m_W is **$\sim 25\text{MeV}$** per channel

\Rightarrow Combining channels this reduces to 20MeV (15MeV combined with CMS)

Gauge Couplings: Phenomenology

The self-couplings between the electroweak gauge bosons are specified by the $SU(2)_L \times U(1)_Y$ gauge symmetry of the Standard Model

Measurements of the gauge couplings therefore:

- Provide a test of this non-Abelian structure

⇒ the SM TGCs $WW\gamma$ and WWZ have been beautifully confirmed at LEP.

But also, probe for possible new physics

⇒ *Anomalous* triple (or quartic) gauge couplings

- The most general Lorentz invariant parametrisation of WWV with $V=Z,\gamma$ is governed by *14 couplings*, 7 for each vertex.

⇒ EM gauge invariance, C, P and CP conservation: $g_1^Z, \kappa_Z, \lambda_Z$ and $\kappa_\gamma, \lambda_\gamma$

* In the SM, $g_1^Z = \kappa_\gamma = \kappa_Z = 1$ and $\lambda_\gamma = \lambda_Z = 0$

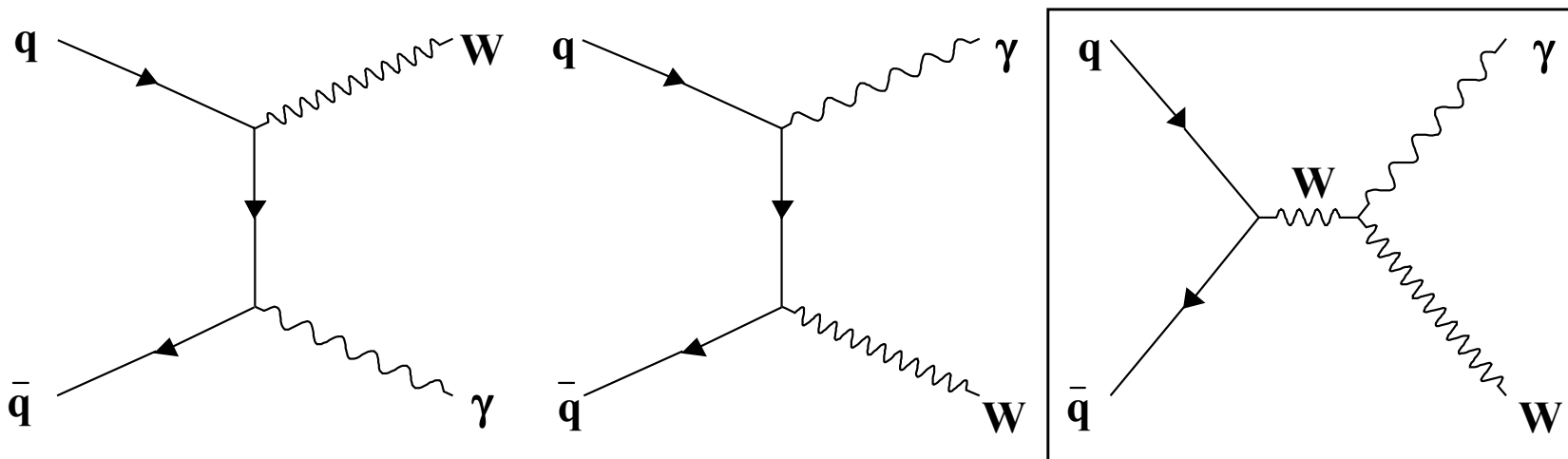
⇒ usually quote the *deviations* from the SM: $\Delta g_1^Z, \Delta \kappa_Z, \lambda_Z$ and $\Delta \kappa_\gamma, \lambda_\gamma$ (=0 in SM)

* At LHC, greater sensitivity due to higher luminosity and higher centre-of-mass energy

TGCs: Measurement

- Any ATGC contribution to some process gives a quadratic increase in the cross-section with the anomalous parameter
- ⇒ can set limits on ATGC parameters by comparing observed and expected event rates
- Method is sensitive to overall normalisation hence systematic errors in, e.g. luminosity, and gives no information about where any AQC contribution originates
- ⇒ Better to use a fit to the spectrum of some observable using a MC prediction

Example 1: Measure possible anomalous contribution to $WW\gamma$ in $W\gamma$ production



TGCs Example 1: $WW\gamma$

- Consider $pp \rightarrow W\gamma$ with $W \rightarrow l\nu$, $l = e, \mu$
- \Rightarrow Maximum likelihood method applied to the p_T spectrum of γ offers good sensitivity to possible anomalous couplings $\Delta\kappa_\gamma$ and λ_γ

Selection:

$$P_{T\gamma} > 100 \text{ GeV}$$

$$P_{Tl} > 25 \text{ GeV}$$

$$P_T^{\text{miss}} > 25 \text{ GeV}$$

$$\Delta R_{l\gamma} > 1$$

\Rightarrow Expect ~ 3000 events
in 30fb^{-1}

(as plotted)

- sensitivity is in high p_T tail
(where backgrounds are small)

TGCs Example 2: WWZ

- Can also measure ATGC contribution to WWZ through $pp \rightarrow WZ$
- \Rightarrow Maximum likelihood method applied to p_T spectrum of the Z offers good sensitivity to couplings Δg_1^Z , $\Delta \kappa_Z$ and λ_Z

Selection:

3 leptons with $p_T > 25\text{GeV}$

(One pair should be of same flavour, opposite sign and satisfy $|m_{ll} - m_Z| < 10\text{ GeV}$)

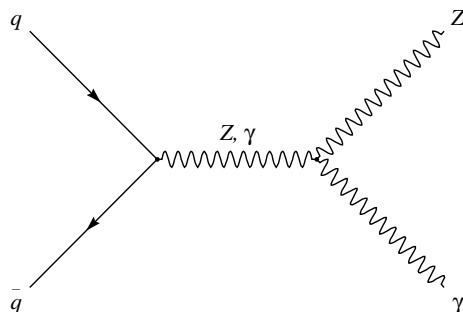
$P_T^{\text{miss}} > 25\text{GeV}$

\Rightarrow Expect ~ 1200 events in 30fb^{-1}

Neutral Triple Gauge Couplings

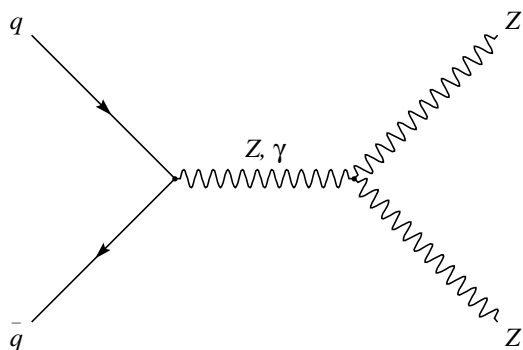
Not Present in the Standard Model

- Possible anomalous $Z\gamma\gamma/ZZ\gamma$ contribution to $pp \rightarrow Z\gamma$



Couplings specified by 8 parameters:
 h_i^V with $i=1\dots 4$ and $V=Z,\gamma$

- Possible anomalous $ZZ\gamma/ZZZ$ contribution to $pp \rightarrow ZZ$:



Couplings specified by 4 parameters:
 f_i^V with $i=4,5$ and $V=Z,\gamma$

Example: Fit to the p_T spectrum of the γ

\Rightarrow Again, the sensitivity is in the tail of the distribution

Triple Gauge Couplings: Precision

- Table shows expected **95% CLs** on individual couplings in 30fb^{-1} (*three years* of low luminosity running)
- Both systematics and statistics limited since the sensitivity in the tails of the distributions.
- ~Order of magnitude improvement over LEP limits.

Charged TGC parameter	95% CL LEP2 (2003)	95% CL 30fb^{-1} ATLAS
$\Delta\kappa_\gamma$	-0.13, +0.13	-0.075, +0.076
λ_γ	-0.089, +0.020	-0.0035, +0.0035
Δg_1^Z	-0.074, +0.028	-0.0086, +0.011
$\Delta\kappa_Z$	-	-0.11, +0.12
λ_Z	-	-0.0072, +0.0072

Top Quark Mass

- m_t is a fundamental parameter of the SM (currently $174.3 \pm 5.1 \text{ GeV}$, Tevatron Run I)
 - Together with m_W provides consistency check on SM Higgs mass m_H .
 - t quark events are principal background to many other processes
- At low luminosity, expect 8M t anti-t pairs per year (NLO estimate)

tt decays (99.9% $t \rightarrow Wb$)		BR	Events in 10fb^{-1}
Multi-jet	$W \rightarrow jj$ and $W \rightarrow jj$	44.4%	3.7M
Semileptonic ($l=e,\mu$)	$W \rightarrow jj$ and $W \rightarrow lv$	29.6%	2.5M
Dilepton ($l=e,\mu$)	$W \rightarrow lv$ and $W \rightarrow lv$	4.9%	400,000

For mass measurement most sensitive channel is semileptonic (single lepton plus jets):

- high p_T lepton gives trigger efficiency
- low QCD background compared to multi-jet channel
- favourable branching ratio compared to dilepton channel (and only one missing ν)

Top Mass: Measurement

Selection

Single lepton plus jets channel

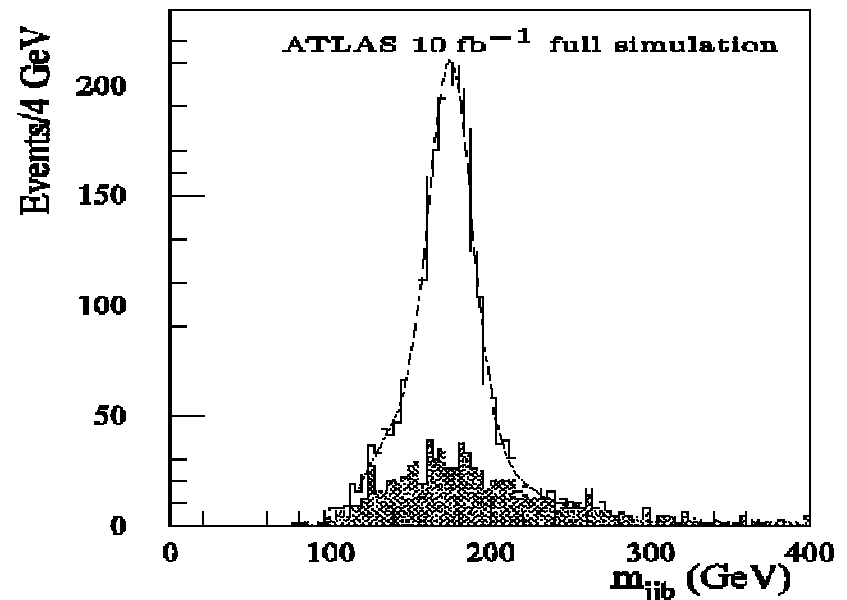
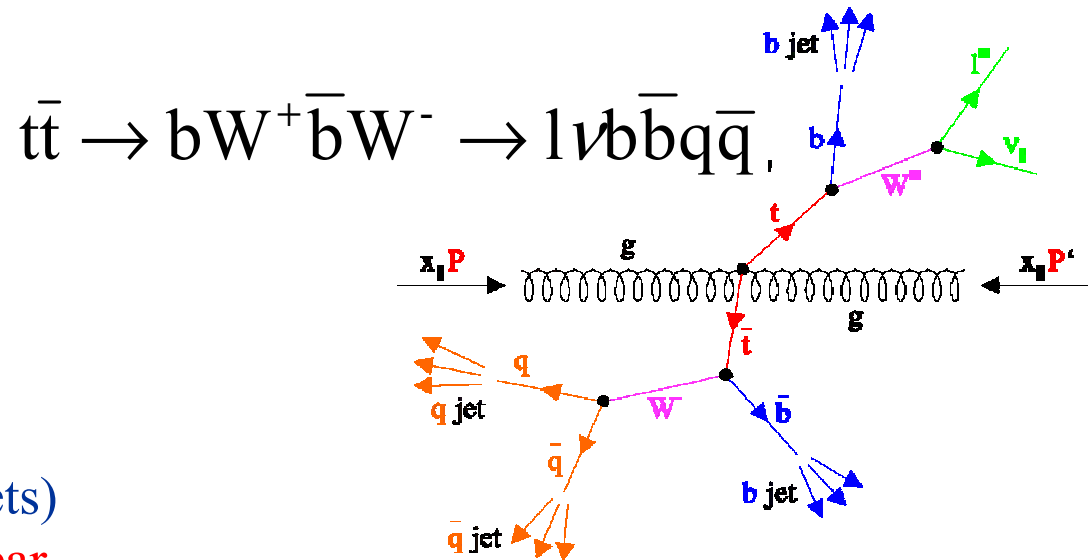
- isolated lepton $p_T > 20 \text{ GeV}$
- $E_T^{\text{miss}} > 20 \text{ GeV}$
- four jets with $p_T > 40 \text{ GeV}$
(including two b-tagged jets)

$\Rightarrow 3.5\%$ efficiency; 87,000 events/year

Mass Measurement

- reconstruct $W \rightarrow jj$ from jets *not* b-tagged
- combine the W with a b tagged jet to reconstruct possible $j j b$ combination

\Rightarrow Fit the peak in the m_{jjb} spectrum



Top Mass: Precision

- Reconstruction of $t \rightarrow jjb$ demands precise knowledge of energy calibration for the jets (light and b)

⇒ Hope to achieve 1% precision
($W \rightarrow jj$ from t anti- t events will be used as an *in situ* tool for this calibration)

⇒ Limit then comes from uncertainty of FSR

- Could reconstruct the leptonically decaying W channel and fit $m_{jjb} = m_{lvb}$
– halves FSR uncertainty

Source	Δm_t
Statistics	0.1 GeV
b fragmentation	0.1 GeV
ISR	0.1 GeV
FSR	1.0 GeV
Background	0.1 GeV
Light q jet energy calibration	0.2 GeV
b quark jet energy calibration	0.7 GeV
Total	~1.3 GeV

Alternative

Use semi-leptonic decays in which one b jet contains a muon and the other a J/Ψ which decays to two muons

⇒ Select 1 isolated lepton and 3 non-isolated muons, 2 of which reconstruct a J/Ψ

- Insensitive to jet energy scale so systematic error on m_t less than 0.9 GeV

But, small branching ratio: ~400 events/year at *high luminosity* after selection

Summary

- LHC: high energy and high luminosity
 - ⇒ a discovery machine but also a precision physics tool
 - ⇒ a W factory, a Z factory, a top factory...
- High rates mean precision measurements often limited by systematic effects *but*, large samples will allow precise *in situ* calibrations to reduce these
 - e.g. For W mass measurement
 - a challenge to know lepton energy momentum scale to 0.02%, yet have 10^7 Z→ll events/year to use for calibration
- Measurement of W mass, gauge couplings and top mass all provide important tests of the electroweak sector. In the first three years should be able to
 - Improve Δm_W from $\sim 30\text{MeV}$ to $\sim 20\text{MeV}$ (at ATLAS)
 - Improve Δm_t from $\sim 5\text{GeV}$ to $< 2\text{GeV}$
 - Improve sensitivity on TGCs compared to LEP2 by an order of magnitude