



# Branon Dark Matter

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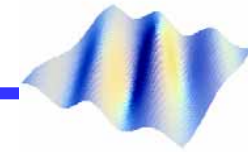
Spain

*Phys. Rev. Lett.* **90**, 241301 (2003)

*Phys. Rev.* **D69**, 043509 (2004)

*hep-ph / 0402278*

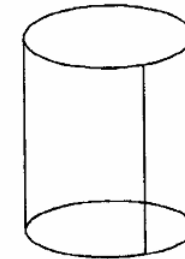
# Introduction: brane fluctuations



**Brane-world  
scenario**  
(ADD, 98)

- Rigid branes ( $f \gg M_D$ )

**KK modes**

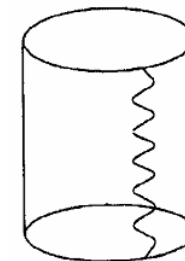


- Flexible branes ( $f \ll M_D$ )

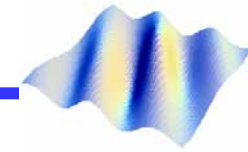
**Branon fields**

(KK modes decouple from SM)

**Bando et al. '99**



## Brane fluctuations

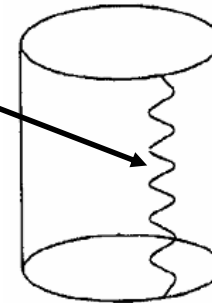


- **Bulk metric:**

$$ds^2 = \tilde{g}_{\mu\nu}(x)W(y)dx^\mu dx^\nu - g'_{mn}(y)dy^m dy^n$$

- **Brane position:**  $Y^M = (x^\mu, Y^m(x))$

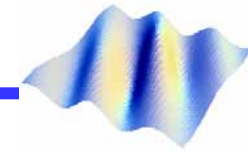
- **Branon fields:**  $\pi^\alpha(x) = f^2 \delta_m^\alpha Y^m(x)$



- **Branon mass related to bulk curvature:**

$$M_{\alpha\beta}^2 = \tilde{g}^{\mu\nu} R_{\mu\alpha\nu\beta} |_{y=0}$$

# Branon dynamics



- **Induced metric on the brane:**

$$g_{\mu\nu}(x, \pi) = \tilde{g}_{\mu\nu}(x) \left( 1 + \frac{M_{\alpha\beta}^2 \pi^\alpha \pi^\beta}{4f^4} \right) - \frac{1}{f^4} \partial_\mu \pi^\alpha \partial_\nu \pi^\alpha + \mathcal{O}(\pi^4)$$

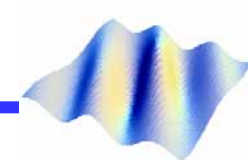
- **Dirac-Nambu-Goto action:**  $S_B = - \int_{M_4} d^4x \sqrt{g} f^4$

## Branon effective action

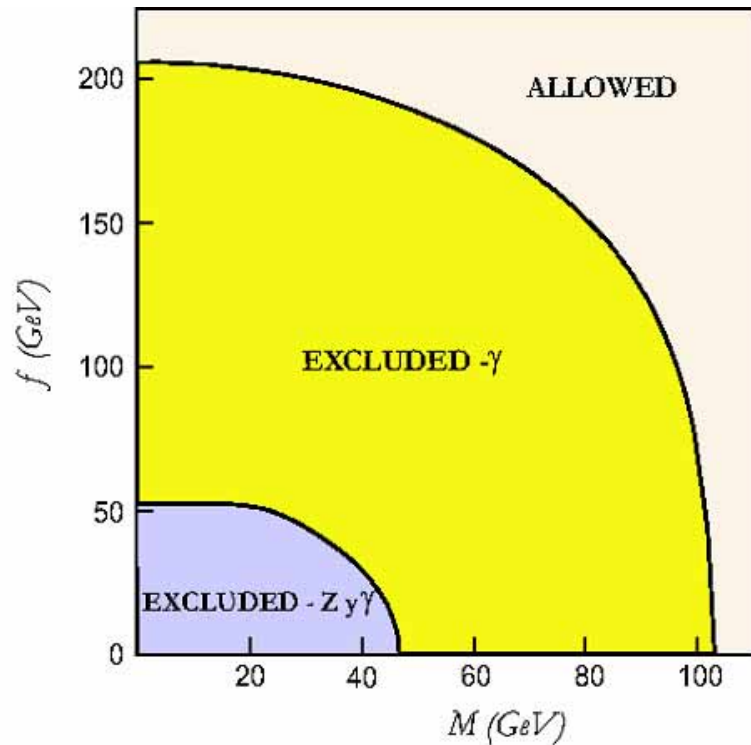
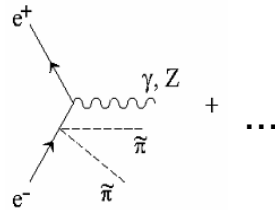
Sundrum' 99, Dobado & A.L.M '01

$$S_{Br} = \int_{M_4} d^4x \sqrt{\tilde{g}} \left[ \frac{1}{2} \left( \tilde{g}^{\mu\nu} \partial_\mu \pi^\alpha \partial_\nu \pi^\alpha - M_{\alpha\beta}^2 \pi^\alpha \pi^\beta \right) + \frac{1}{8f^4} \left( 4\partial_\mu \pi^\alpha \partial_\nu \pi^\alpha - M_{\alpha\beta}^2 \pi^\alpha \pi^\beta \tilde{g}_{\mu\nu} \right) T_{SM}^{\mu\nu} \right]$$

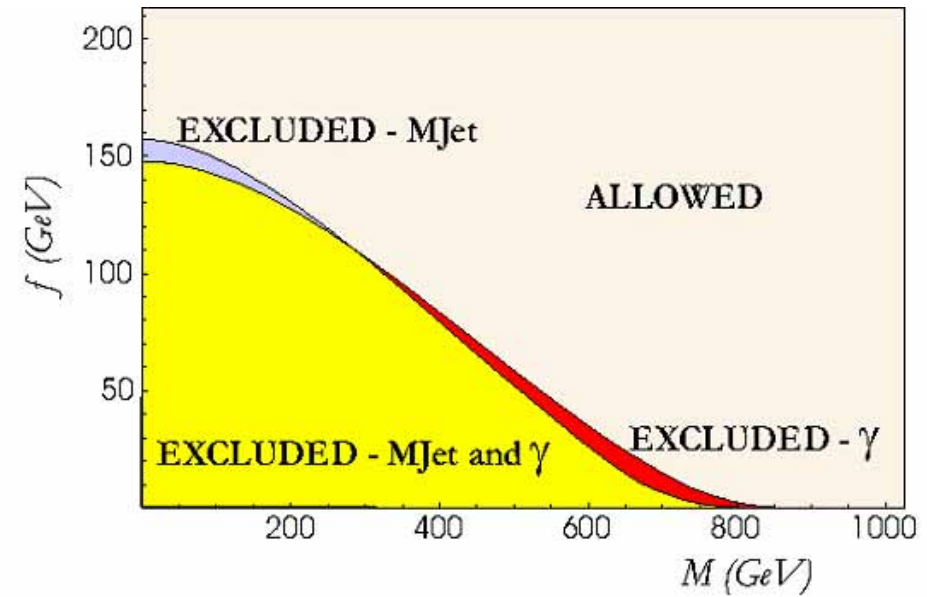
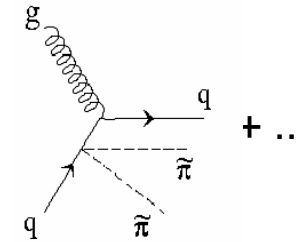
# Limits from colliders



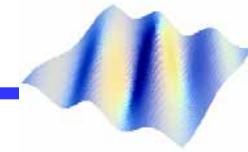
LEP-II



TEVATRON-I



# A new dark matter candidate

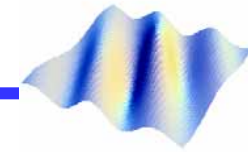


- Brane orientation  $\implies$  branons are **pseudoscalar** particles
- Parity on the brane  $\implies$  branons **couple by pairs** to SM (stable particles)

**Branons are stable, massive and weakly interacting particles**

**NATURAL DARK MATTER CANDIDATES**

# Branon cosmic abundance



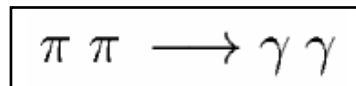
Freeze-out in an expanding universe:

$$\frac{dn_\alpha}{dt} = -3Hn_\alpha - \langle \sigma_A v \rangle (n_\alpha^2 - (n_\alpha^{eq})^2)$$

Annihilation into all SM pairs  $X$ :  $\sigma_A = \sum_X \sigma(\pi^\alpha \pi^\alpha \rightarrow X)$

(Light hadrons below QCD phase transition or quarks and gluons above)

Cold branons ( $M \gg T$ )

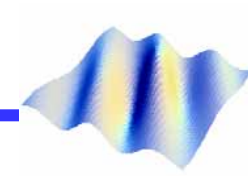


Hot branons ( $M \ll T$ )

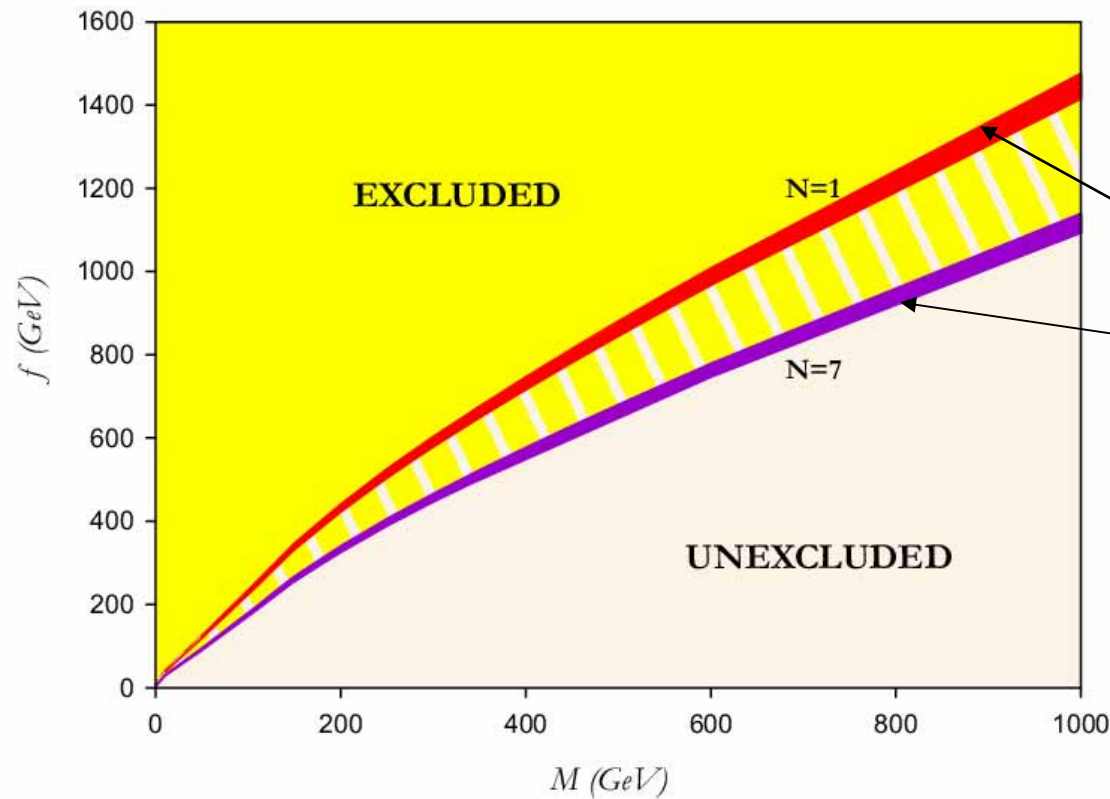
$$\langle \sigma_{\gamma\gamma} v \rangle \simeq \frac{68M^4 T^2}{15\pi^2 f^8}$$

$$\langle \sigma_{\gamma\gamma} v \rangle \simeq \frac{16\pi^7 T^6}{297675 f^8}$$

# Branon cosmic abundance



## Cold branons

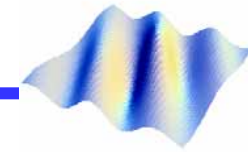


WMAP limits

$$\Omega_{Br} h^2 = 0.129 - 0.095$$



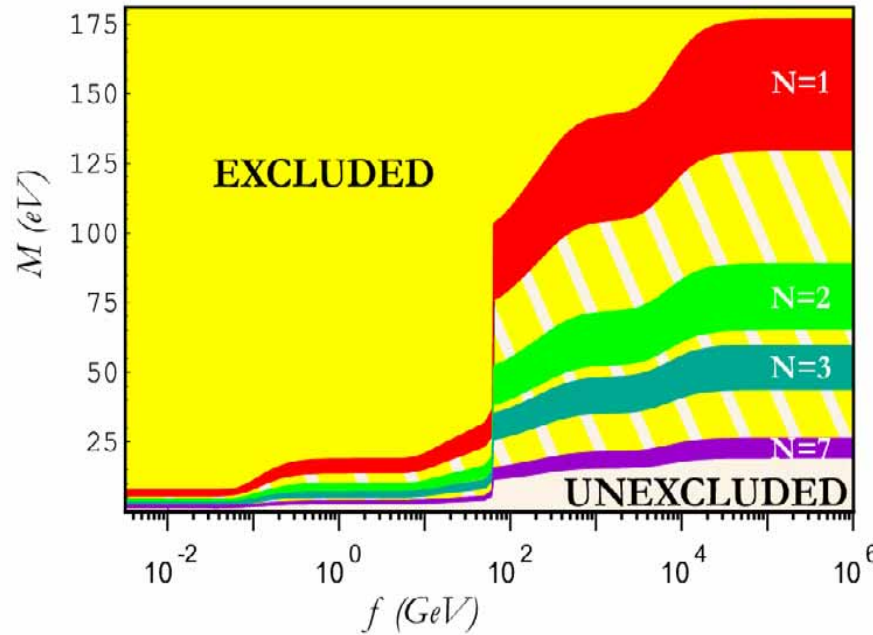
# Branon cosmic abundance



## Hot branons

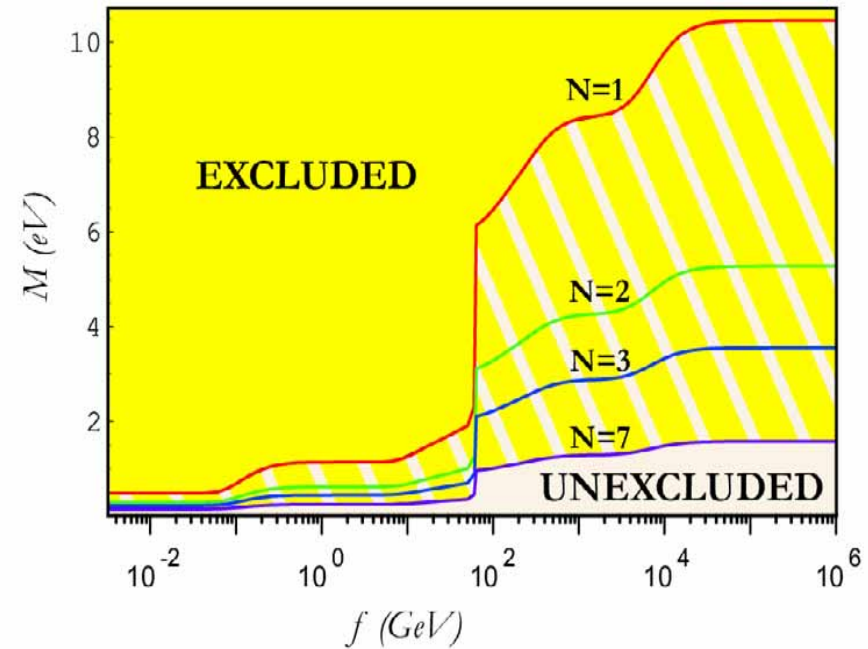
WMAP

$$\Omega_{Br} h^2 = 0.129 - 0.095$$



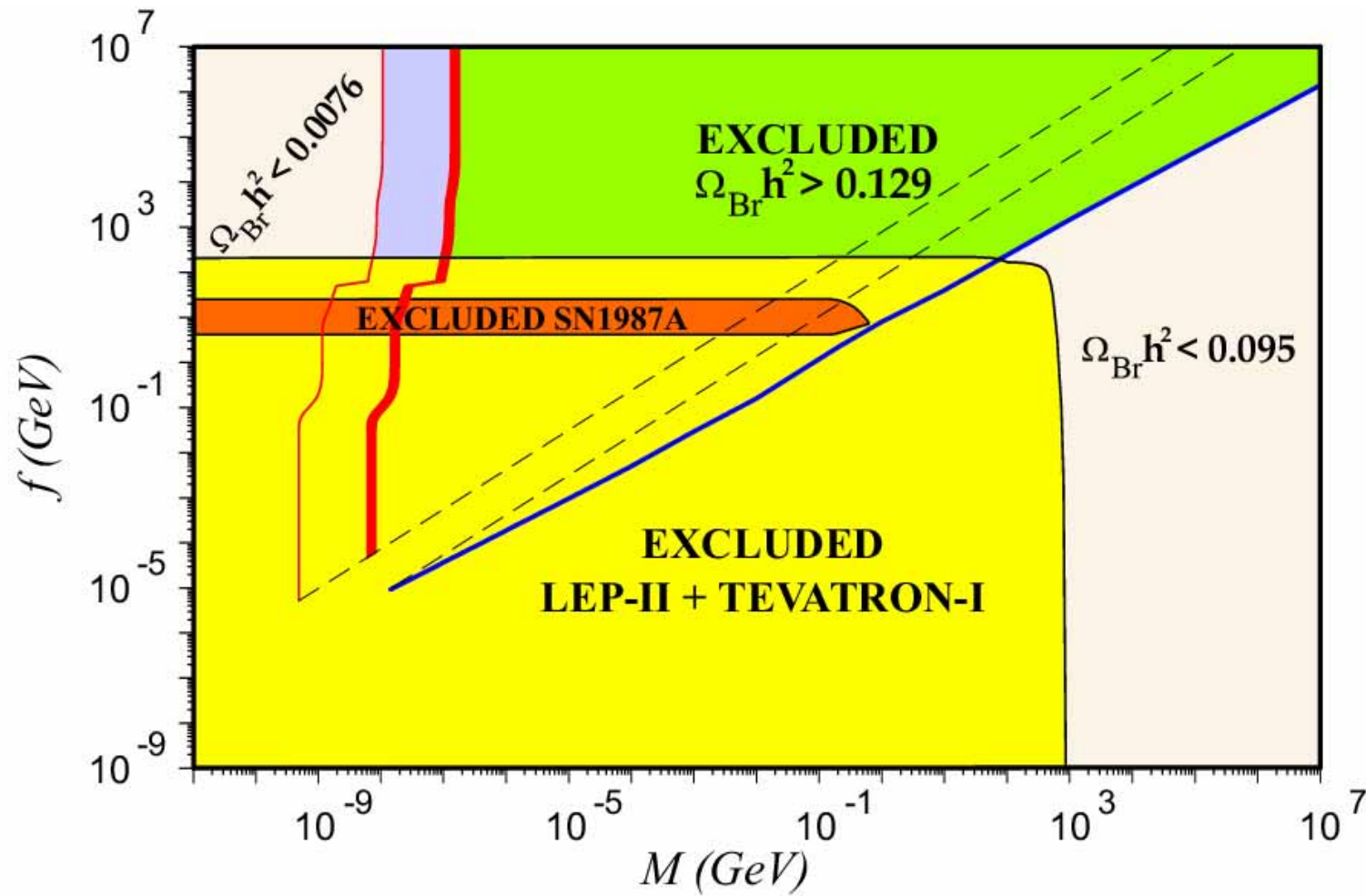
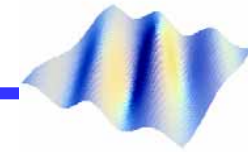
WMAP-CBI-ACBAR-2dF-Ly- $\alpha$

$$\Omega_{Br} h^2 = 0.0076$$

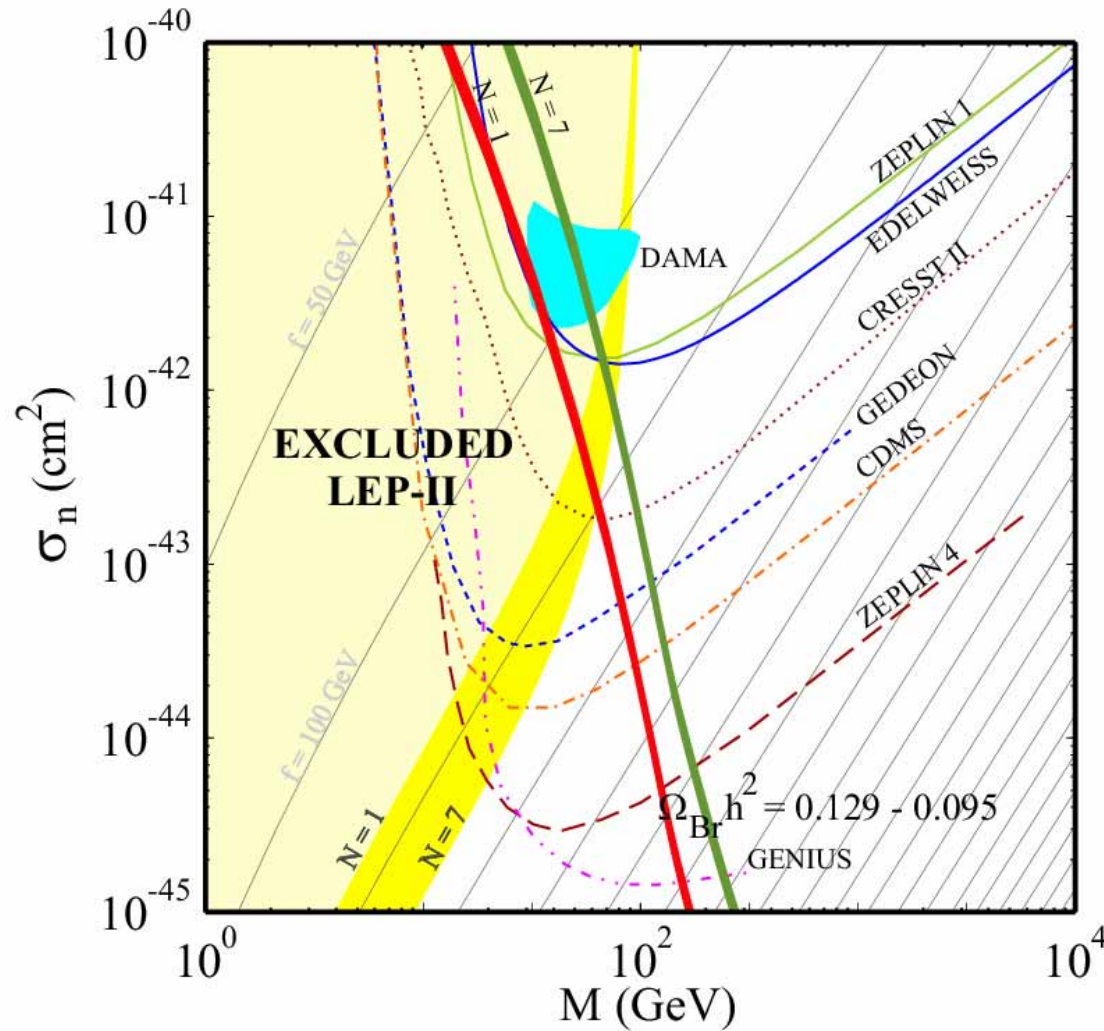
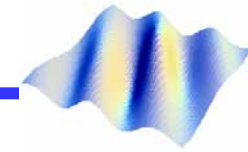


**BBN limits:**  $N \lesssim 18$  for  $f \gtrsim 60$  GeV

# Combined limits



# Direct detection

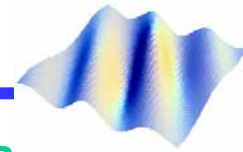


Elastic branon-nucleon  
cross section  
(spin independent)

$$\frac{d\sigma}{d|q|^2} = \frac{\sigma_n A^2 F^2(|q|)}{4v^2 \mu^2}$$

$$\sigma_n = \frac{9M^2 m^2 \mu^2}{64\pi f^8}$$

## Non-thermal branon production



If  $T_{RH} \ll T_f$  and  $T_{RH} \gg \Lambda$  ( $\Lambda$  explicit symmetry breaking).  
Branons are essentially **massless** and **decoupled** from SM.



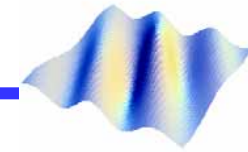
Brane initial position:  $Y_0 = O(R_B)$  and  $\pi_0 = f^2 R_B$   
Dark matter as **coherent brane oscillations** (similar to axions)

If  $H(T) > \Gamma(T)$  for  $T < T_{RH}$  brane oscillations only diluted by Hubble expansion.

**Non-thermal  
branon abundance:**

$$\Omega_{Br} h^2 \simeq \frac{6.5 \cdot 10^{-20} N}{\text{GeV}^{5/2}} f^4 R_B^2 M^{1/2}$$

# Cosmic coincidence problem



## AdS<sub>6</sub> soliton solution

$$ds^2 = M^2(\rho)\eta_{\mu\nu}dx^\mu dx^\nu - d\rho^2 - L^2(\rho)d\theta^2$$

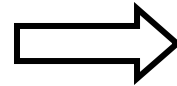
$$M(\rho) = \cosh^{2/5}(k\rho); \quad L(\rho) = \frac{\sinh(k\rho)}{k \cosh^{3/5}(k\rho)} \quad k = \sqrt{-\frac{5\Lambda_6}{8M_6^4}}$$

$$\text{Branon mass: } M^2 = \frac{8k^2}{5} = -\frac{\Lambda_6}{M_6^4}$$

$$\text{Fundamental scale: } M_6 \sim f \sim \text{TeV}$$

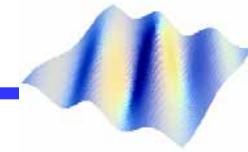
$$\text{Bulk C.C. (loop effects): } \Lambda_6 \sim R_B^{-6}$$

$$\left. \begin{array}{l} M \sim 10^{-33} \text{ eV} \\ R_B^{-1} = 10^{-3} \text{ eV} \end{array} \right\}$$



$$\Omega_{Br} h^2 \simeq 0.1$$

## Conclusions and future perspectives



- Branons are natural dark matter candidates in braneworld models.
- Produced as thermal or non-thermal relics (cosmic coincidence) ... or strongly self-interacting dark matter.
- They could be detected in future direct search experiments (CDMS, CRESST II, ...).
- Indirect detection from halo annihilations into photons or  $e^+e^-$  by MAGIC, GLAST or AMS (coll.).
- Indirect detection by ANTARES, IceCube, ... from high-energy neutrino annihilation.
- L3 direct searches.
- Future searches at hadronic (LHC) or Linear Colliders.